



# **Design Advisor Workshop**

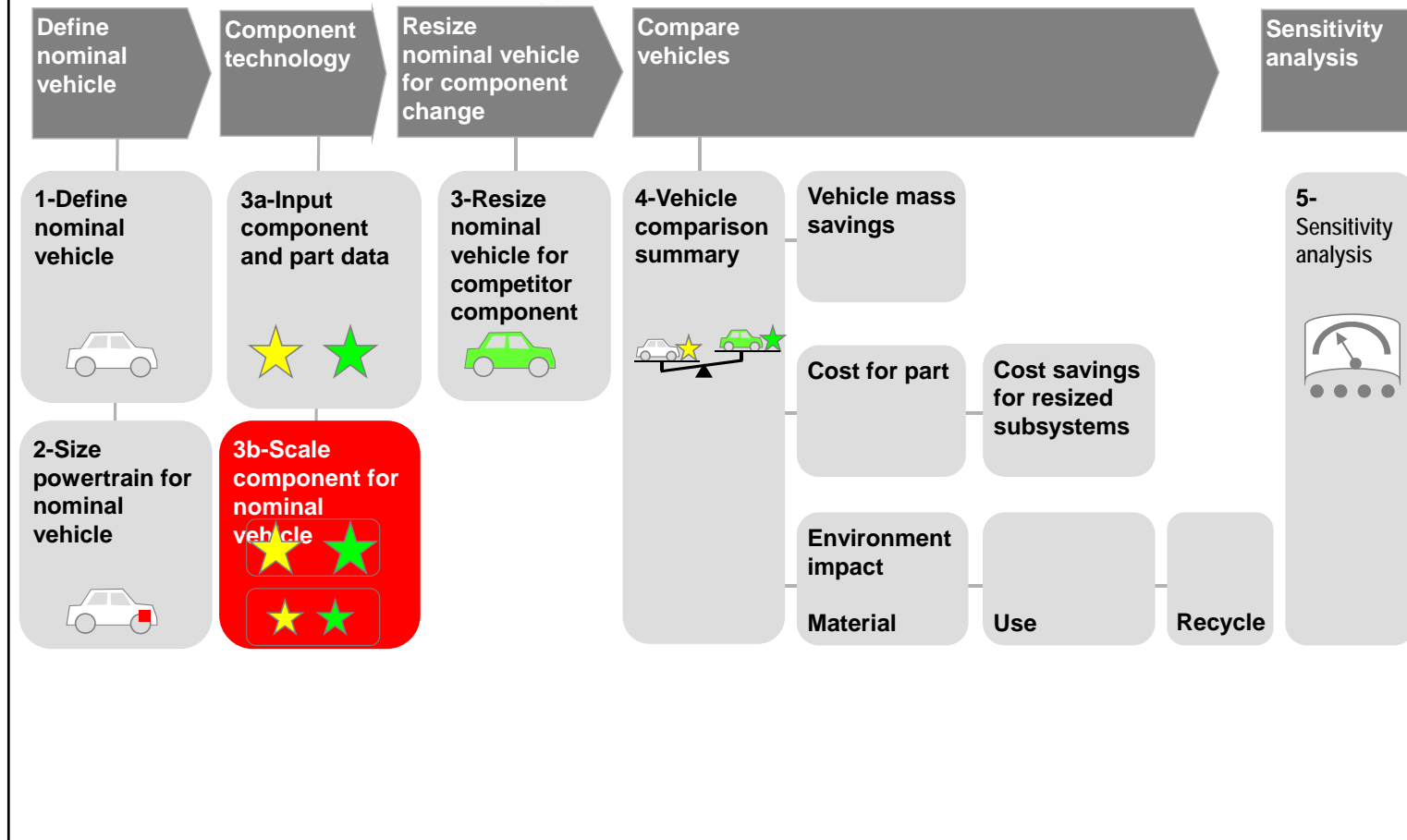
## **Session 3**

### **Mass Estimation Fundamentals**

*Scaling Component mass*

*Estimating secondary mass changes*

# Design Advisor Solution Map



## Case Study 2- Hood

### Plans for 20xx vehicle



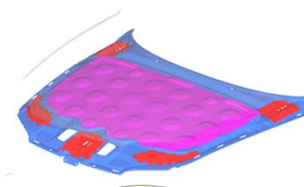
hood area=1.5 m<sup>2</sup>

### Component: Hood



Area=2 m<sup>2</sup>

AHSS  
14.66 kg



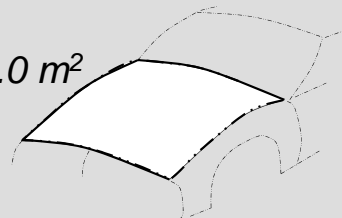
Area=2 m<sup>2</sup>

Aluminum  
11.00 kg

## Scaling Component Mass

We have mass information on a hood from a previous study

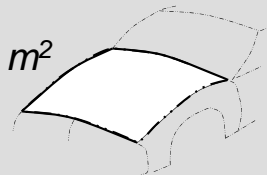
$$A=2.0 \text{ m}^2$$



$$m_{\text{HOOD}}=14.66 \text{ kg}$$

The nominal vehicle has different hood size

$$A=1.5 \text{ m}^2$$

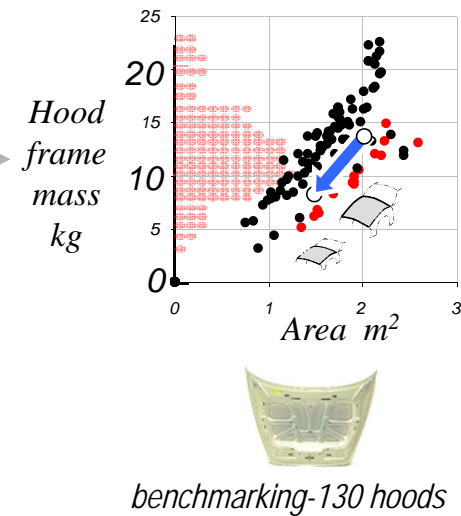
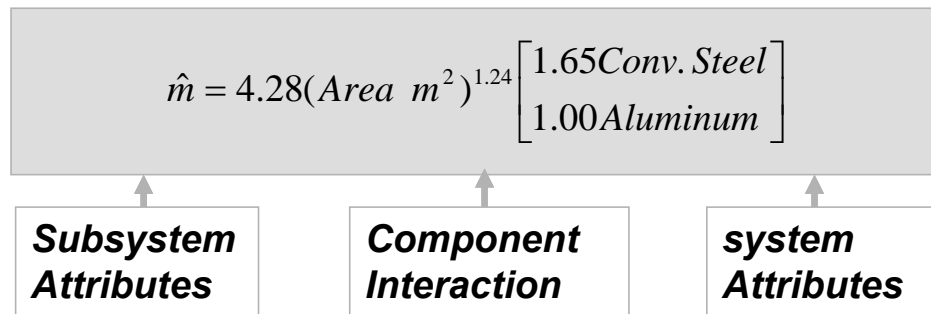


$$m_{\text{HOOD}}=?$$

*How should we scale this mass data to represent the mass of a hood for the nominal vehicle?*

# Scaling Component Mass

*Mass Drivers determined by statistical significance*



resulting scaling equation

$$\frac{\hat{m}_A}{\hat{m}_B} = \left[ \frac{\text{Area}_A}{\text{Area}_B} \right]^{1.24}$$

$$\frac{\hat{m}_A}{14.66} = \left[ \frac{1.5}{2} \right]^{1.24} = 10.26$$

$\varepsilon$

# Scaling Component Mass

## Closures

hood  
frame



$$\hat{m} = 4.28(\text{Area } m^2)^{1.24}$$

deck lid  
frame



lift gate  
frame



hatch  
frame



door  
frame



## Chassis

knuckle



$$\hat{m} = 0.343(FGAM, kg)^{0.478} \left( \frac{0.571 McPherson}{1.00 SLA} \right)$$

Lower  
control arm



wheel



exhaust



## Body

body  
shell



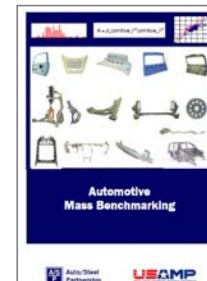
instrument  
panel beam



front seat  
frame



bumper  
beam



## The math

### Scaling Component Mass

$$\frac{m_A}{m_B} = \left[ \frac{MassDriver_A}{MassDriver_B} \right]^\beta$$

$$m_A = \left[ \frac{MassDriver_A}{MassDriver_B} \right]^\beta m_B$$

where

$m_A$  = mass of component to be determined

$m_B$  = mass of reference component

$\beta$  = exponent from mass driver equation

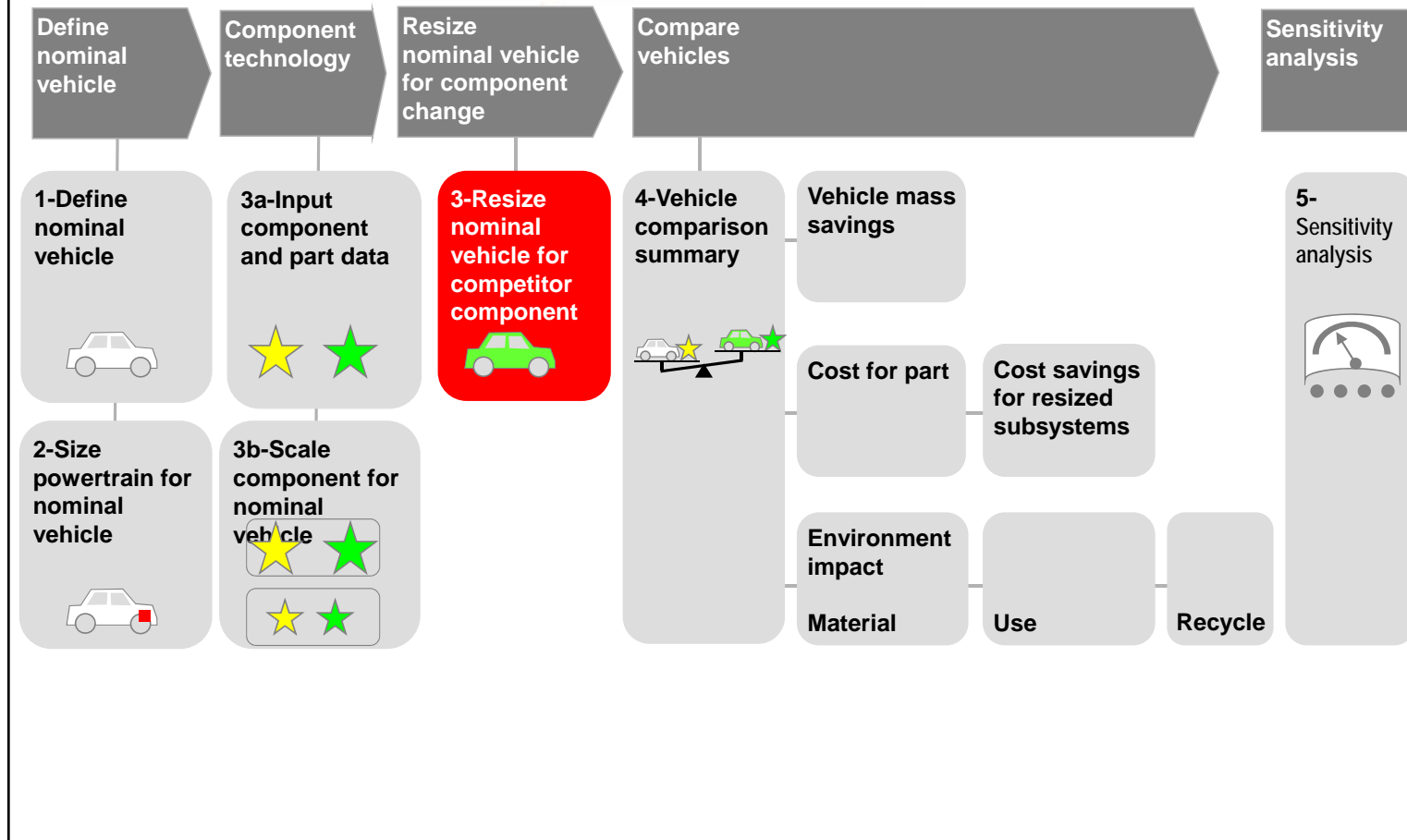
*example mass driver equation for door frame*

$$\hat{m}(\text{kg}) = 11.06(\text{Area } m^2)^{0.867} 1.41Fe$$

*resulting scaling equation to account for changing door area*

$$\frac{\hat{m}_A}{\hat{m}_B} = \left[ \frac{Area_A}{Area_B} \right]^{0.867}$$

# Design Advisor Solution Map





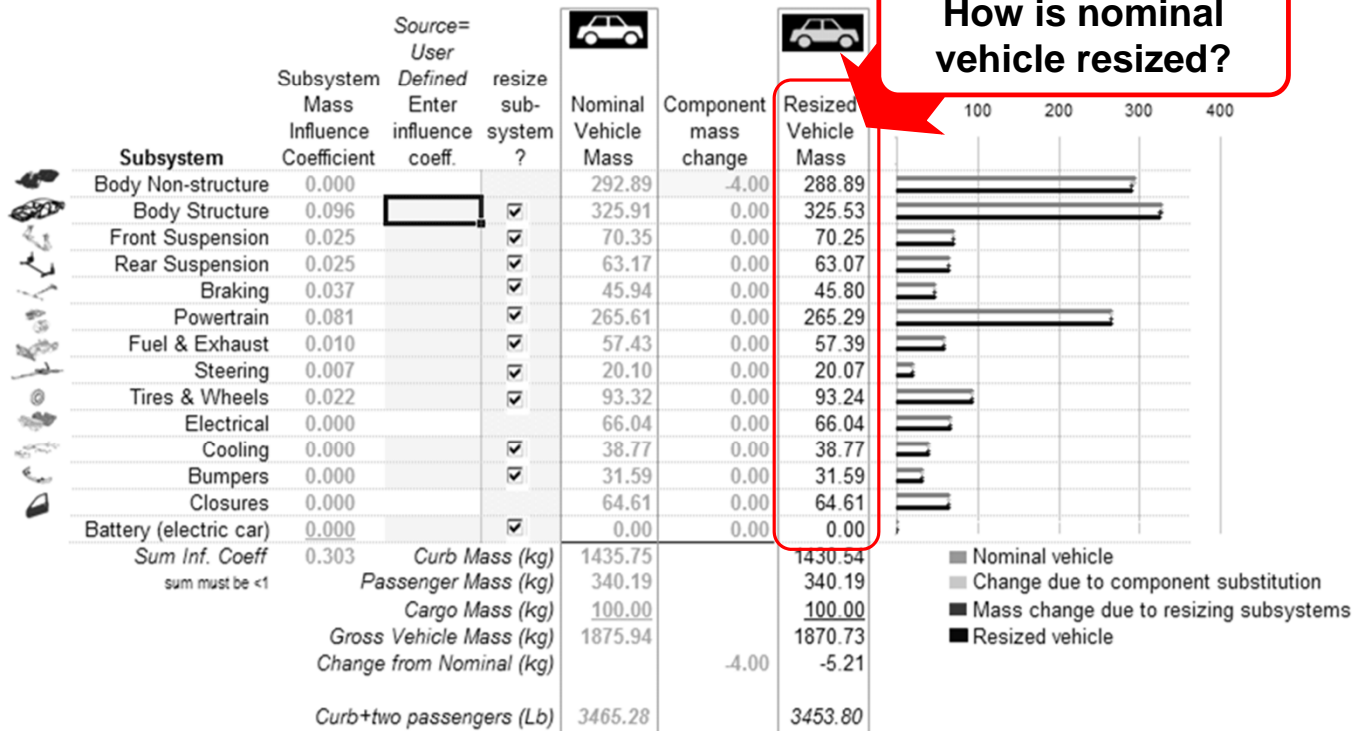
# Estimating secondary mass changes

## Resizing Nominal Vehicle - Mass Compounding



Vehicle type: Sedan/Hatchback  
Mass influence coefficient source: Analytical

Resizing method: ☒ Simple  
☐ Compounded



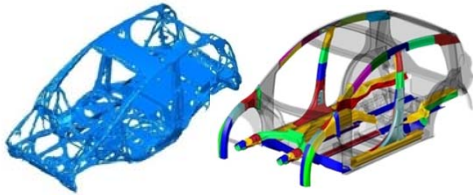
# Primary Mass Change

*Represented as the mass difference between  
Original component and Competing Component in the Design Advisor*

*Competing Component designed to same requirements as original component,  
but something has enabled lightweighting*

## Innovative materials

AHSS (Advanced High Strength Steels)



CFRP

(Carbon fiber reinforced materials)

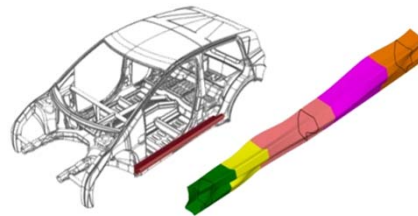


Aluminum



## Design optimization

Future Steel Vehicle rocker

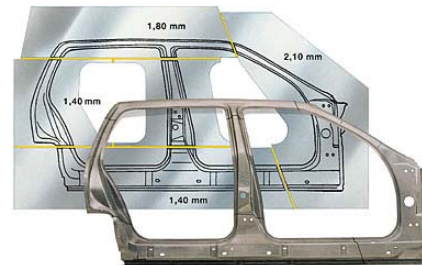


Aluminium strut tower shape  
Audi A6



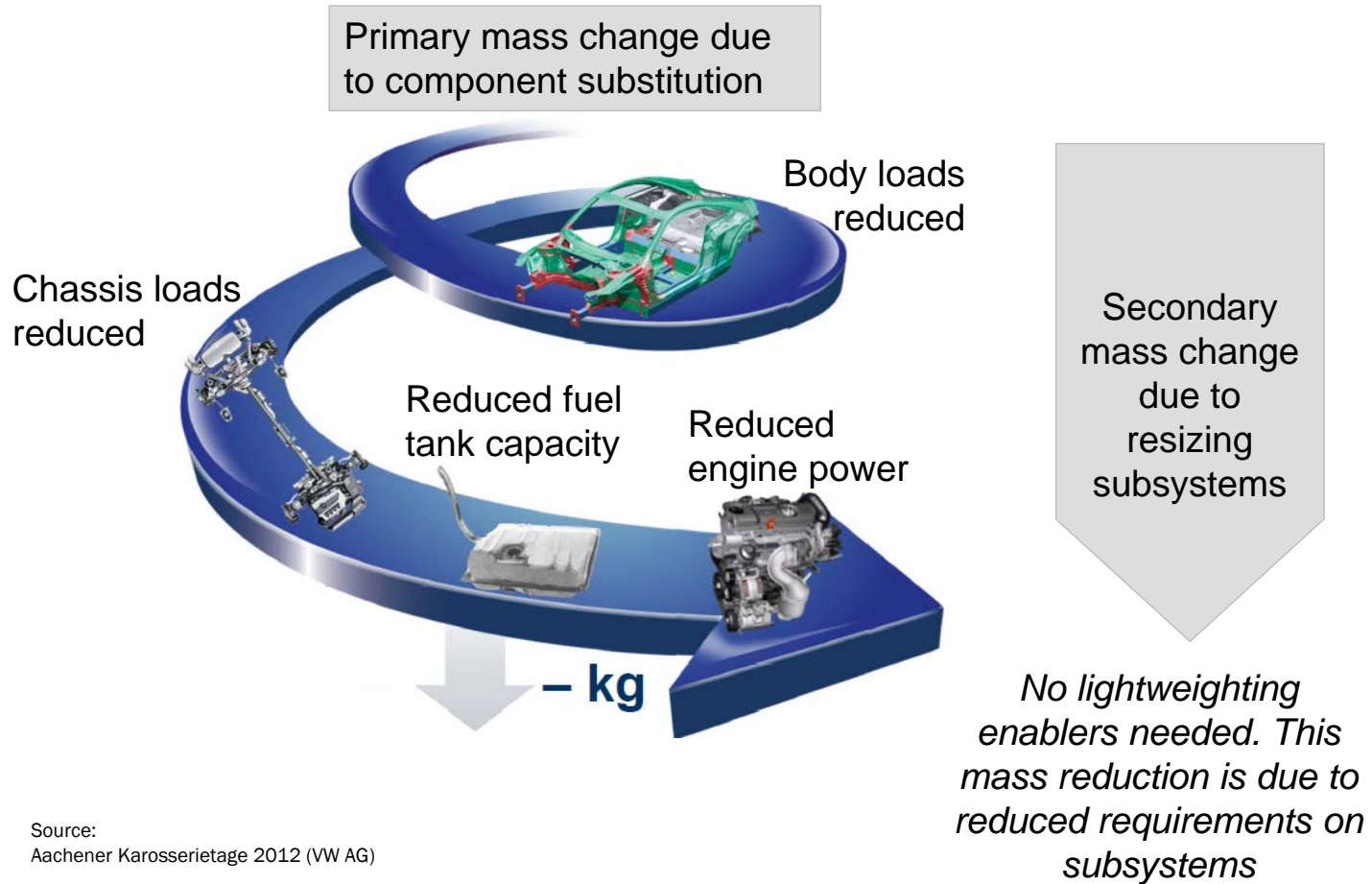
## Production methods

Tailored blanks



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## Primary and Secondary Mass Change

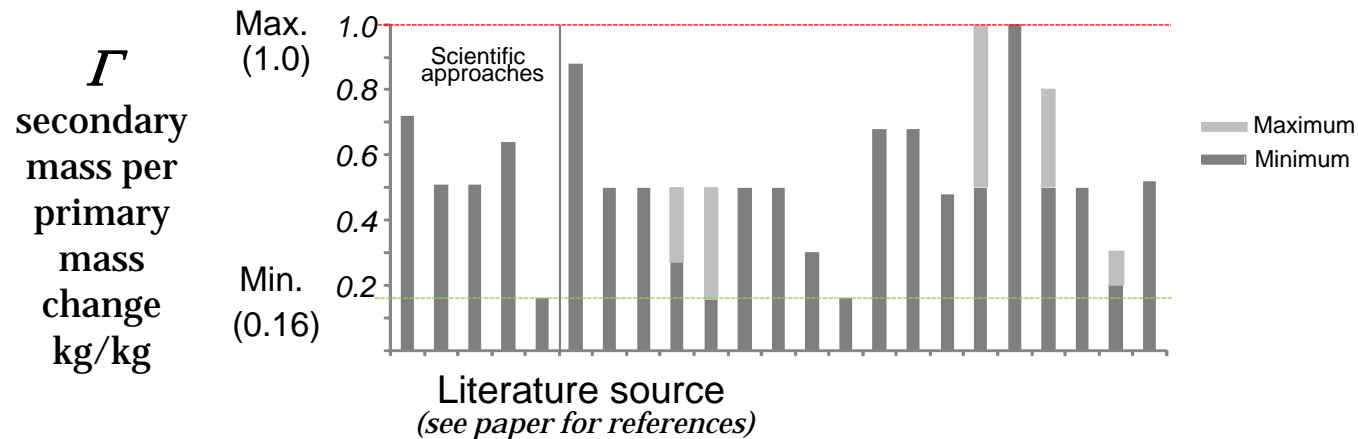
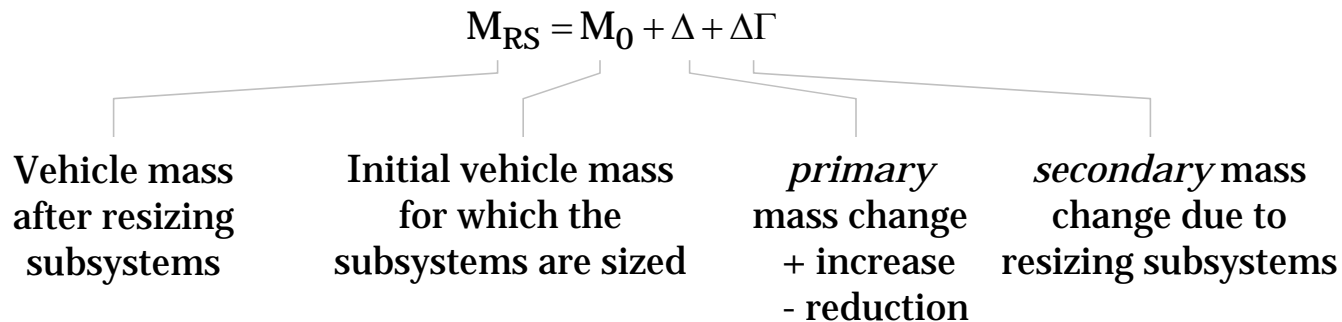


Source:  
Aachener Karosserietage 2012 (VW AG)

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# Secondary Mass

## Quantifying secondary mass changes



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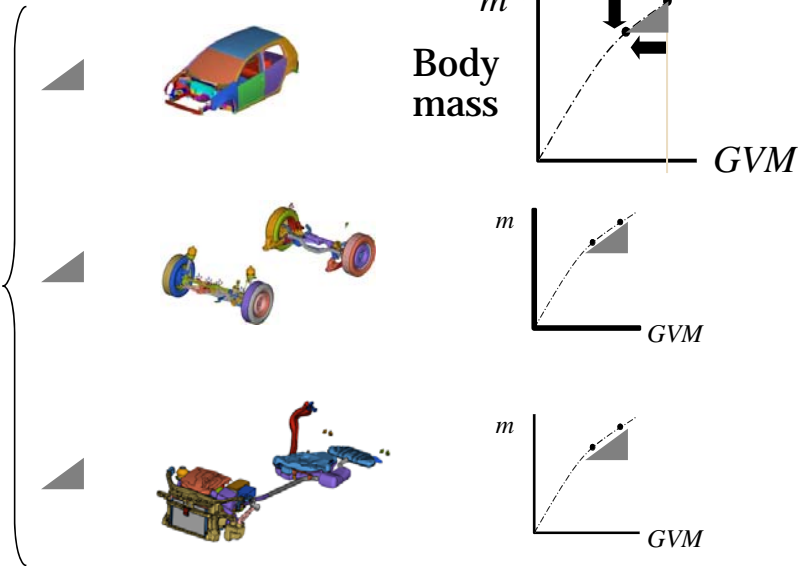
## Secondary Mass Influence Coefficients

### Subsystem influence coefficients

**Vehicle Secondary mass coefficient,  $\Gamma$**

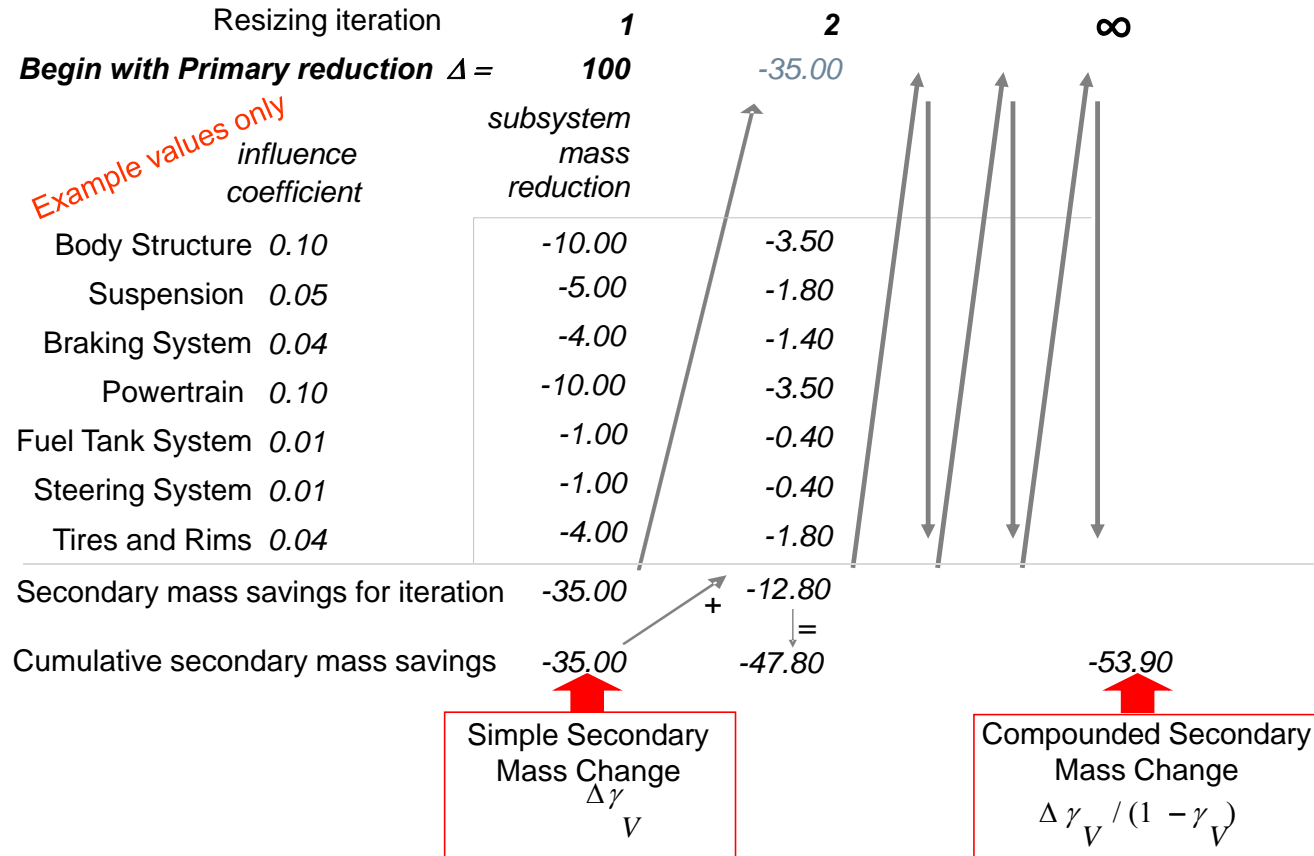
**Subsystem mass influence coefficient -**  
Change in mass of a subsystem due to a unit mass change in the Gross Vehicle Mass (kg/kg).

$\Gamma$  depends on  $\gamma_V = \text{SUM}$



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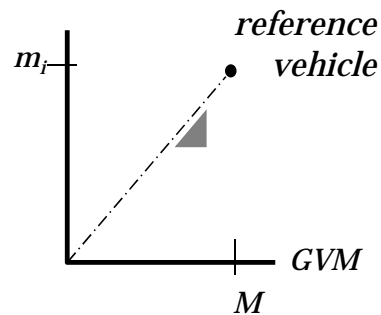
## Simple and Compounded Secondary Mass Change



*Note: Secondary mass coefficient is not applied to each subsystem. Therefore material composition of vehicle will change slightly.*

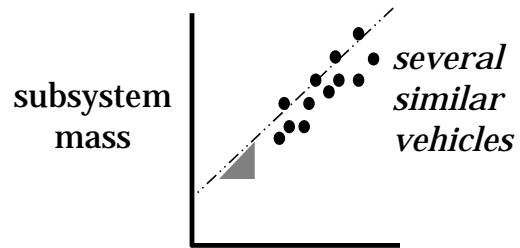
## Secondary Mass estimation Methods

### Ratio method



$$\gamma_i = m/M$$

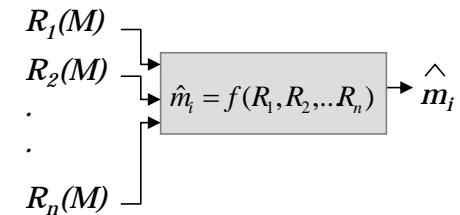
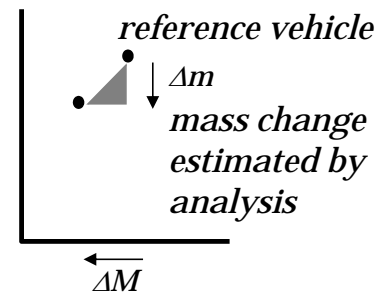
### Regression method



$$\hat{m} = \beta_0 + \beta_1(GVM) + \beta_2(mass.driver_2) + \varepsilon$$

$$\gamma_i = \frac{\partial \hat{m}}{\partial GVM}$$

### Analytic method



***R: requirements which depend on GVM***

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## Regression Method

*Fit statistical model of subsystem mass data using a set of vehicles*

$$\hat{m}_{SUBSYSTEM} = \beta_0 + \beta_1(GVM) + \beta_2(mass.driver) + \varepsilon$$

**69 sedan and hatchback vehicles (model years 2000 to 2008)**

*Size range:* A class to D class (curb mass 920 kg to 1600 kg)

*Subsystem technology:* Integral steel body  
Transverse front wheel drive  
Internal combustion engine  
McPherson strut front suspension

*Database – a2mac1.com*

Ideal assumptions	Violations
Meet same performance requirements	Not same but within competitive range
Subsystems for each vehicle are sized to the particular GVM of that vehicle	Platform sharing: sized to heaviest member Sized to heaviest powertrain, not one in car

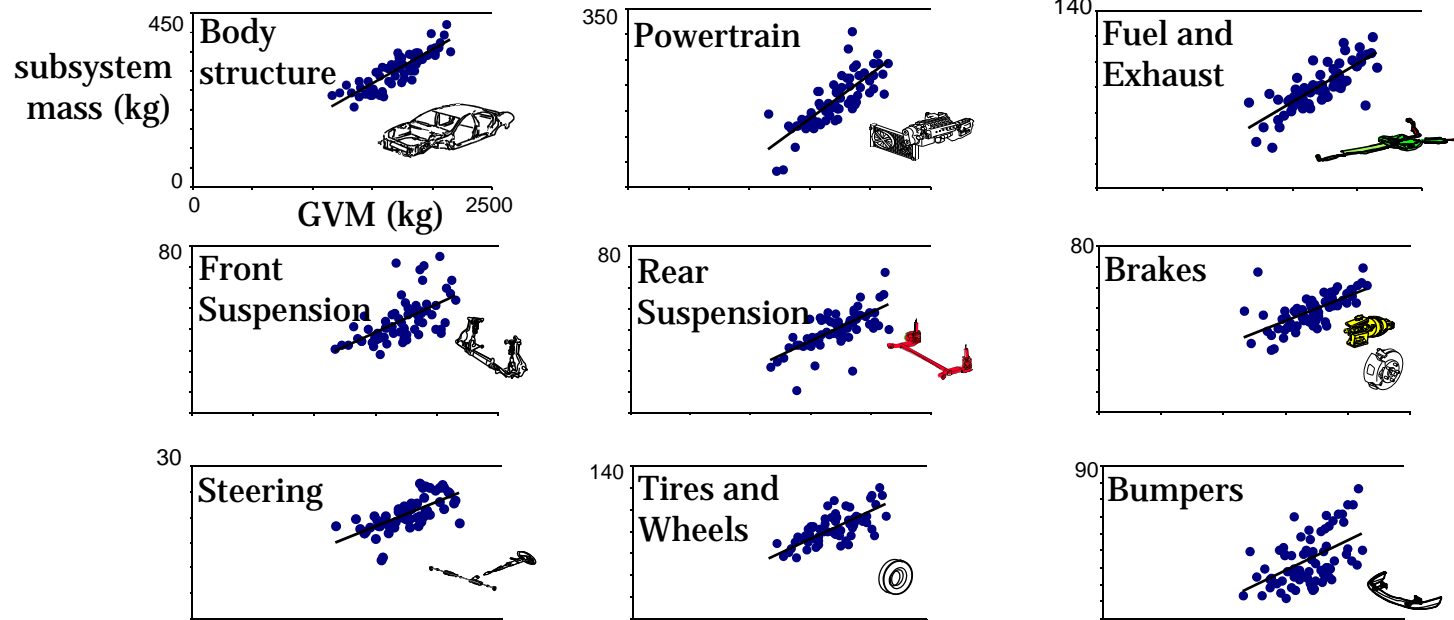
*Assumption violations will be quantified with error bands*

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# Regression Method

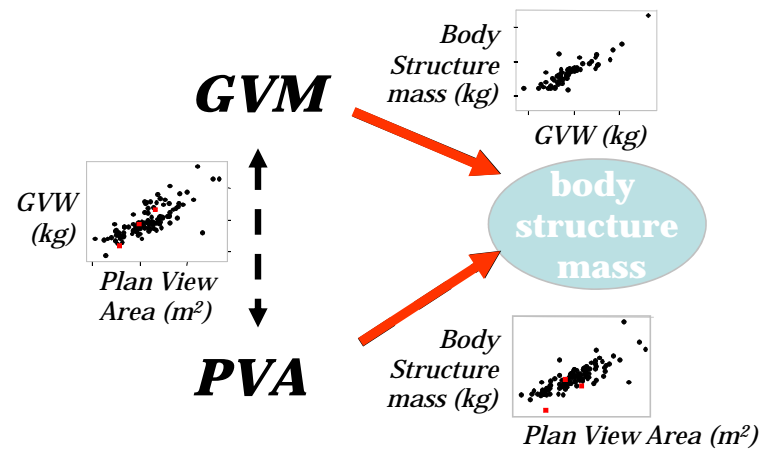
*Relationships between the subsystem mass and gross vehicle mass (GVM)*



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# Regression Method

*The need to consider all mass drivers*



## Incorrect statistical model

$$\hat{m}_{\text{BODY .STRUCTURE}} = \beta_0 + \beta_1 (\text{GVM}) + \varepsilon$$

$\beta_1 = 0.173$  reflects the dependence of body structure mass on GVM, but also the confounded dependence on area.

## Better statistical model

$$\hat{m}_{\text{BODY .STRUCTURE}} = \beta_0 + \beta_1 (\text{GVM}) + \beta_2 (\text{PlanViewArea}) + \varepsilon$$

$\beta_1 = 0.127$  lower because the variability of body mass with area is now being included in coefficient  $\beta_2$ .

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## Regression Method

### *Results for influence coefficients by Regression method*

Subsystem	Mass drivers determined by statistical significance	Regression based mass influence coefficient
Body Structure	<ul style="list-style-type: none"> <li>Gross vehicle mass</li> <li>Plan view area ( <i>length</i> x <i>Overall</i> )</li> </ul>	<b>0.127    <math>\pm 0.033</math></b>
Powertrain	<ul style="list-style-type: none"> <li>Gross vehicle mass</li> <li>Acceleration time (0-100 km/h time)</li> </ul>	<b>0.117    <math>\pm 0.034</math></b>
Front Suspension	• Gross front axle mass ( $\sim 0.6 \times \text{GVM}$ )	<i>Front and rear</i> <b>0.055</b> <b><math>\pm 0.012</math></b>
Rear Suspension	• Gross rear axle mass ( $\sim 0.4 \times \text{GVM}$ )	
Steering System	• Gross front axle mass ( $\sim 0.6 \times \text{GVM}$ )	<b>0.009    <math>\pm 0.003</math></b>
Braking System	• Gross vehicle mass	<b>0.024    <math>\pm 0.007</math></b>
Tires & Rims	• Gross vehicle mass	<b>0.050    <math>\pm 0.012</math></b>
Fuel Tank System	<ul style="list-style-type: none"> <li>Gross vehicle mass</li> <li>Engine displacement</li> </ul>	<b>0.026</b> (fuel tank only)

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# Analytical Method

## Determination of the secondary mass change

### Analytic approaches:


- Clutch
- Gearbox
- Differential
- Drive shafts / Cardan shaft
- Brakes
- Tires and Rims
- Fuel consumption

$$F_t = \frac{2 \cdot M}{d_w} \quad M_{B,max} = \frac{F_t \cdot l}{4} \quad M_{T,max} = M_{mot} \cdot i_z$$

$$M_V = \sqrt{(M_{B,max})^2 + 0,75 \cdot (\alpha_0 M_{T,max})^2}$$

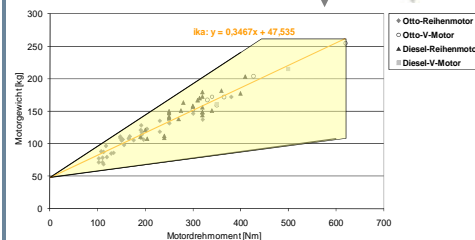
$$d_{min} = 2,17 \cdot \sqrt[3]{\frac{M_V}{\sigma_{B,zul}}} \quad \sigma_{B,zul} = \frac{\sigma_{b,W}}{S_D}$$

$\alpha_0$  = Anstrengungsverhältnis  
 $M_V$  = Vergleichsmoment



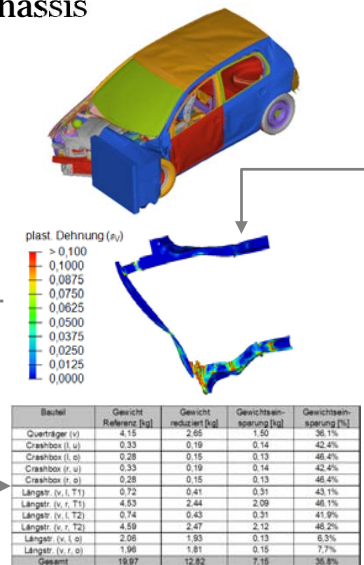
### Empirical approaches:

- Engine
- Clutch pressure disc
- Cooling system
- 12 volt battery
- Fuel tank housing
- Vertical dynamics
- Steering system



### Simulations:

- Body
- Chassis



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# Analytical Method

## *Analytic Method Results*

### Results of the secondary mass change calculation (e.g. VW Golf V)

Vehicle data:	
Model	VW Golf V
Engine	2.0 l - Diesel engine (turbocharged)
Curb weight	1405 kg
GVM	1910 kg
Wheel base	2578 mm
Tires	195/60 R 15
Fuel capacity	55 l
Gearbox	6 gear manuel gearbox
Engine power	140 PS (103 KW) at 4000 U/min
Front axle	McPherson
Rear axle	Control blade suspension

Primary mass change

**100 kg**

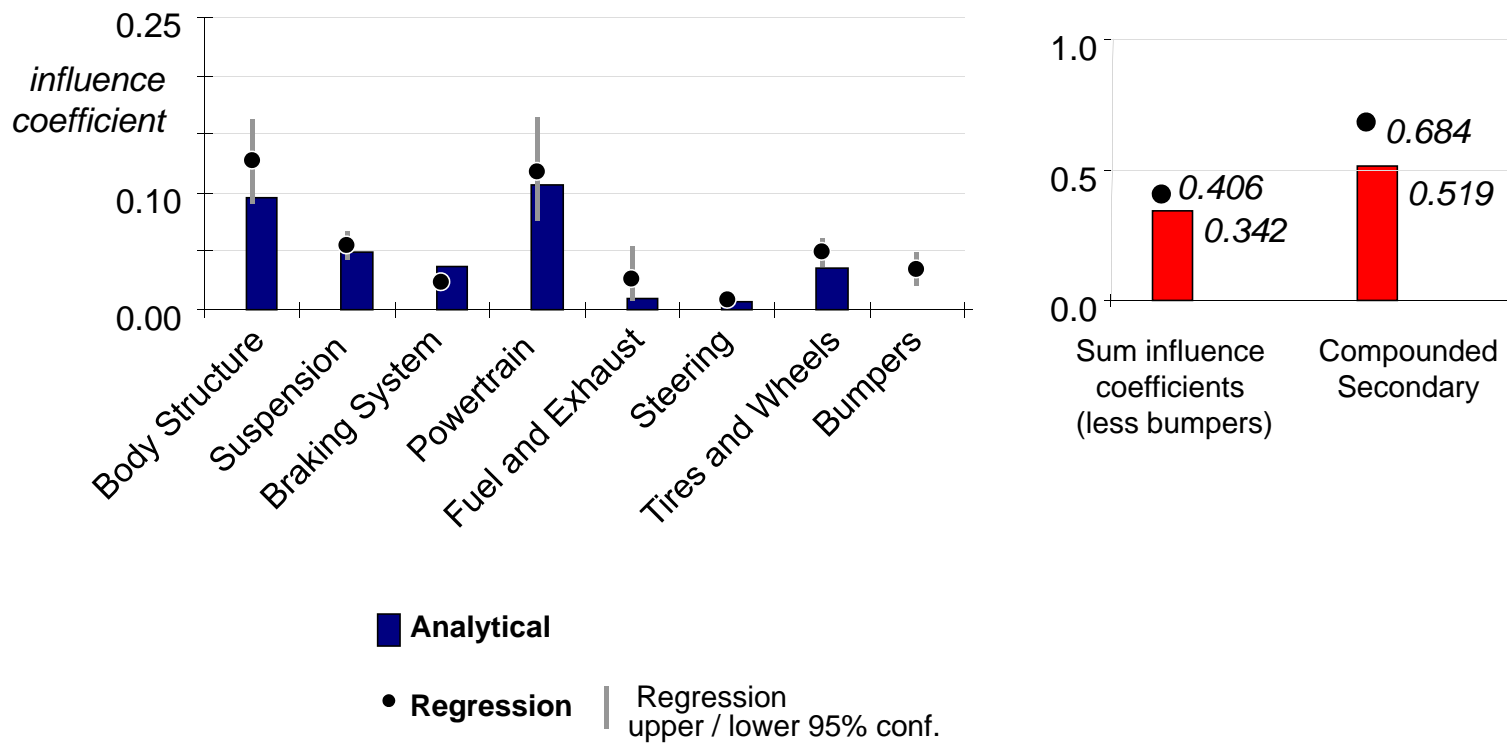


Functional group	SMC
Body structure	9.6 kg
Suspension	5.0 kg
Braking system	3.7 kg
Powertrain	10.6 kg
Fuel tank system	1.0 kg
Steering system	0.7 kg
Tires and Rims	3.6 kg
Simple SMC	34.2 kg
Compounded SMC	51.9 kg

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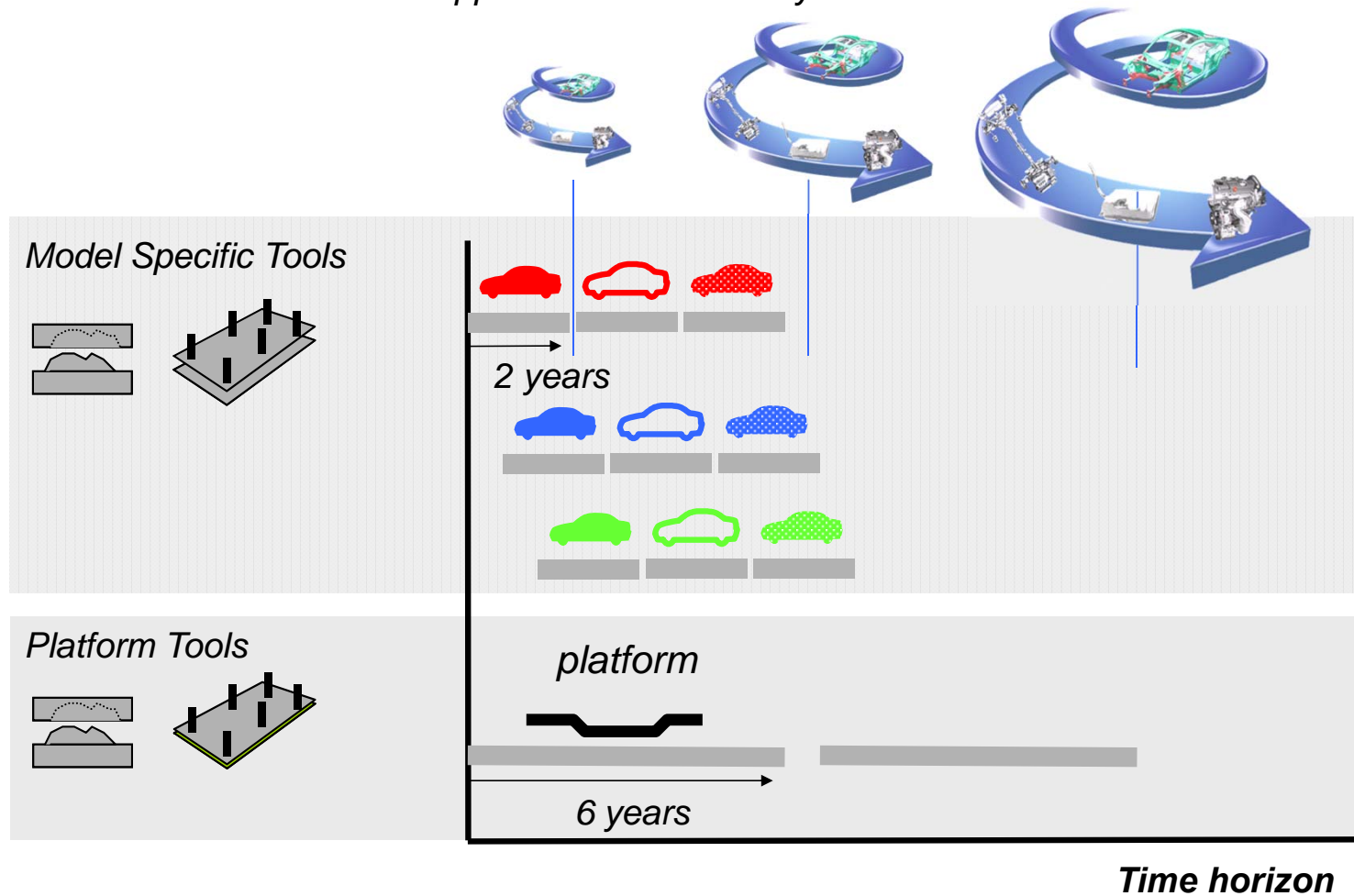
## Secondary Mass Change

### Comparison of Regression and Analytical Methods



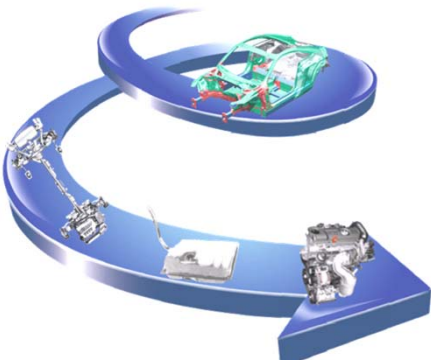


## Which Type of Secondary Mass?

*Approximate Product Cycle*



## Which Type of Secondary Mass?

			
<b>Time horizon for Design</b>	<i>1-2 years into future</i>	<i>3-6 years into future</i>	<i>12 years into future</i>
	<i>Mid cycle enhancement of an existing product</i>	<i>New vehicle program/New architecture</i>	<i>Strategic Planning more than two architecture cycles into future</i>
	<i>Tactical resizing of some subsystems which are to be enhanced. Other design changes limited to small changes due to tooling</i>	<i>New Architecture using OEM's existing BOM</i>	<i>Opportunity to change OEM's BOM</i>
<b>Secondary mass type</b>	<b>Simple</b> <i>subsystems limited</i>	<b>Simple</b> <i>subsystems as defined in program plan</i>	<b>Compounded</b> <i>all subsystems resized</i>



## The math

### Mass compounding

*for vehicle*  $M_{RS} = M_0 + \Delta + \Delta\Gamma$

where,

$M_0$  =Initial vehicle mass for which the subsystems are sized

$\Delta$  =Initial total mass change (primary mass change)

$M_{RS}$  =Resized vehicle mass

$\Delta\Gamma$  =Additional (secondary) mass change due to resizing all subsystems

$$\Gamma = \gamma_v \quad \text{for simple secondary mass}$$

$$\Gamma = \frac{\gamma_v}{1 - \gamma_v} \quad \text{for compounded secondary mass}$$

$\gamma_v$  =Mass influence coefficient for the vehicle given by

$$\gamma_v = \Sigma \gamma_i$$

$\gamma_i$  =Mass influence coefficient for subsystem  $i$

## The math

### Mass compounding

for subsystem  $i$        $mi_{RS} = mi_0 + \Delta_i + \Delta\tau$

$$\tau = \gamma_i \quad \text{for simple secondary mass}$$

$$\tau = \frac{\gamma_i}{1 - \gamma_v} \quad \text{for compounded secondary mass}$$

where,

$mi_0$  = Initial subsystem  $i$  mass

$\Delta_i$  = Initial mass change in subsystem  $i$

$\Delta$  = Initial total mass change (primary mass change)

$mi_{RS}$  = Resized subsystem  $i$  mass

$\Delta_i\tau$  = Additional (secondary) mass change for subsystem  $i$

## How material content changes are not so obvious

Remove  $\Delta = -100$  kg  
from subsystem 3

System	$\tau_i$	$m_i$	With simple secondary mass change	BOM	$\phi_{Row,Col}$		
subsys	inf coeff	base mass		mat A	mat B	mat C	
1	0.05	500	495	0.9	0.1	0	
2	0.15	300	285	0.2	0.8	0	
3	0.00	200	100	0	0	1.0	
	0.20						
Mass kg		1000	880				

Mat A kg	510	502.5
Mat B kg	290	277.5
Mat C kg	200	100.0

$$\mathcal{M}_A = (m_1\phi_{1A} + m_2\phi_{2A} + m_3\phi_{3A})$$

$$\mathcal{M}_B = (m_1\phi_{1B} + m_2\phi_{2B} + m_3\phi_{3B})$$

Mat A change kg      -7.5

$$\partial\mathcal{M}_A = \Delta(\tau_1\phi_{1A} + \tau_2\phi_{2A} + \tau_3\phi_{3A})$$

Mat B change kg      -12.5

$$\partial\mathcal{M}_B = \Delta(\tau_1\phi_{1B} + \tau_2\phi_{2B} + \tau_3\phi_{3B})$$

% of secondary mass change composed of

Material A	37.50%
Material B	62.50%

## Excel sheet

### *Material composition of Secondary mass change change inf coeff, material BOM*

Primary change      -100 all from subsystem 3

subsys	inf coeff	mass original	mass simple	mass comp	BOM		
					mat A	mat B	mat C
1	0.05	500	495	493.75	0.9	0.1	0
2	0.15	300	285	281.25	0.2	0.8	0
3	0	200	100	100	0	0	1

0.2

Mass kg	1000	880	875
secondary mass change		20	25
Mat A kg	510	502.50	500.63
Mat B kg	290	277.50	274.38
Mat C kg	200	100.00	100.00

Mat A change kg	-7.50	-9.38
Mat B change kg	-12.50	-15.63

% of secondary mass change composed of

<b>Material A</b>	<b>37.50%</b>	<b>37.50%</b>
<b>Material B</b>	<b>62.50%</b>	<b>62.50%</b>

$$\% \text{ Secondary mass change composed of material A} = \frac{(\tau_1 \phi_{1A} + \tau_2 \phi_{2A} + \tau_3 \phi_{3A})}{(\tau_1 + \tau_2 + \tau_3)}$$

## Case Study 2- Hood Data



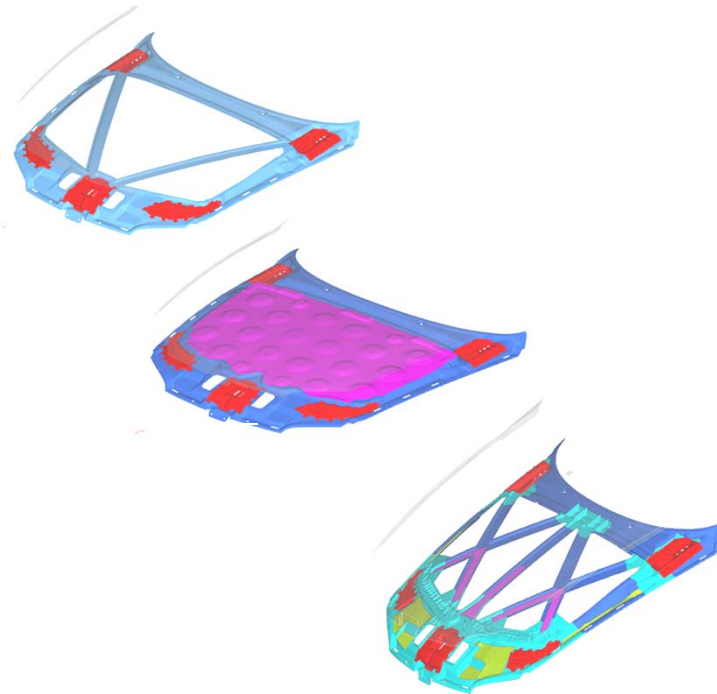
Lightweight Vehicle Consortium

J. Dahmus and R. Roth, September 11, 2008

### Results Summary – Hood

	Primary Process	Total Mass (kg)
Steel II	Stamping	14.66
Aluminum	Stamping	11.00
Sheet Molding Composite	SM Press	18.00

*All hoods have surface area=2 m<sup>2</sup>*



## Case Study 2- Hood

### Plans for 20xx vehicle



hood area=1.5 m<sup>2</sup>

Vehicle type: Hatchback

L=4.2 m

W=1.750 m

100 kg cargo

New architecture

Internal Combustion-Gasoline

Powertrain is fixed and will not change

6. liter/100 km (HZEM schedule)

Life time range = 155,000 km

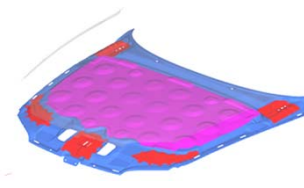
### Component: Hood



Area=2 m<sup>2</sup>

**Original  
Component**

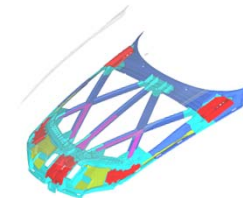
AHSS  
Stamped  
14.66 kg



Area=2 m<sup>2</sup>

**Competitor 1  
Component**

Aluminum  
Stamped  
11.00 kg



Area=2 m<sup>2</sup>

**Competitor 2  
Component**

SMC  
SM Press  
18.00 kg

## Case Study 2 – Hood

*Purpose: To see how the secondary mass method affects results*

Load input data by starting at the **Set Nominal Vehicle** sheet and stepping through sheets using the forward arrow in upper right corner. Begin with AHSS vs Aluminum hood

1. Make sure to enter original and new hood area on **Input Component Data** sheet
2. On **Resize Nominal Vehicle** Sheet choose Analytical , Simple as secondary mass method
3. On **Vehicle Comparison Summary** sheet observe mass, cost, and GHG results  
Record data in the table below
4. Use the circle icon in the upper right corner to go to **Solution Map**.  
Choose **Resize Nominal Vehicle** icon
5. Change secondary mass method as shown in the table below
6. Use forward arrow in the upper right corner to go to **Vehicle Comparison Summary**
7. Observe Mass, Cost, and GHG results  
Record data in the table below
9. If time permits, repeat for AHSS vs. SMC hood

Secondary Mass Method	Primary Mass change	Subsystem Mass change	Secondary cost change	GHG change
<i>Analytical, Simple</i>				
<i>Analytical, Compounded</i>				
<i>Regression, Simple</i>				
<i>Regression, Compounded</i>				

## Case Study 2 – Hood

*Purpose: To see how the secondary mass method affects results*

Load input data by starting at the **Set Nominal Vehicle** sheet and stepping through sheets using the forward arrow in upper right corner. Begin with AHSS vs Aluminum hood

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6. Use forward arrow in the upper right corner to go to **Vehicle Comparison Summary**
7. Observe Mass, Cost, and GHG results  
Record data in the table below
9. If time permits, repeat for AHSS vs. SMC hood

*All subsystems resized*

Secondary Mass Method	Primary Mass change	Subsystem Mass change	Secondary cost change	GHG change
<i>Analytical, Simple</i>	<i>2.56 (-2.34 smc)</i>	<i>0.77 (-0.71 smc)</i>	<i>0.935 (-0.85smc)</i>	<i>6.95 (-200.21smc)</i>
<i>Analytical, Compounded</i>	<i>2.56 (-2.34 smc)</i>	<i>1.11 (-1.01 smc)</i>	<i>1.34 (-1.22 smc)</i>	<i>4.40 (-200.34 smc)</i>
<i>Regression, Simple</i>	<i>2.56 (-2.34 smc)</i>	<i>1.16 (-1.06 smc)</i>	<i>1.56 (-1.42 smc)</i>	<i>3.76 (-203.12 smc)</i>
<i>Regression, Compounded</i>	<i>2.56 (-2.34 smc)</i>	<i>2.11 (-1.93 smc)</i>	<i>2.84 (-2.60 smc)</i>	<i>3.72 (-209.95 smc)</i>